

**Marwari college Darbhanga**

**Subject---physics ( Hons)**

**Class--- B. Sc. Part 2**

**Paper---04 ; Group—A**

**Topic--- Decay of current in RL circuit (Electricity )**

**Lecture series –53**

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### **(B) Decay of current**

- When the switch S is thrown down to b as shown below in the figure ,the L-R circuit is again closed and battery is cut off

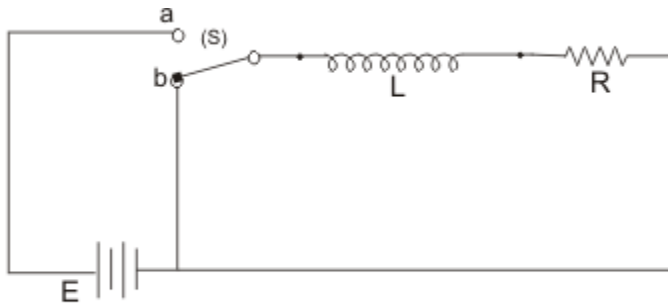


Figure 6. Battery is now cut off from the circuit

- In this condition the current in the circuit begins to decay
- Again from equation (8) since  $V=0$  this time, so the equation for decay is

$$L \frac{dI}{dt} + RI = 0$$

Or,

$$\frac{dI}{I} = -\frac{R}{L} dt$$

Integrating on both sides

$$\int \frac{dI}{I} = -\frac{R}{L} \int dt$$

Or,

$$\ln I = -\frac{R}{L} t + C_1 \quad \text{---(12)}$$

In this case initially at time  $t=0$  current  $I=I_{\max}$  so  
 $C_1 = \ln I_0$

Putting this value of  $C_1$  in equation (12)

$$\ln I = -\frac{R}{L} t + \ln I_{\max}$$

Or,

$$I = I_{\max} e^{-\frac{R}{L} t} \quad \text{---(13)}$$

Hence current decreases exponentially with time in

the circuit in accordance with the above equation after the battery are cutoff from the circuit.

- Figure below shows the graph between current and time

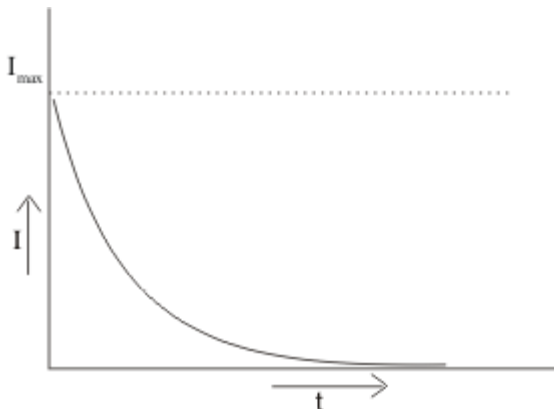


Figure 7. Current decreasing exponentially with time

- If in equation (13)

$$t = T_L = L/R$$

then

$$I = I_{\max} e^{-1} = .37 I_{\max}$$

hence the time in which the current decrease from the maximum value to 37% of the maximum value  $I_{\max}$  is called the time constant of the circuit

- From equation (13) it is clear that when  $R$  is large, current in the L-R circuit will decrease rapidly and there is a chance of production of spark
- To avoid this situation  $L$  is kept large enough to make  $L/R$  large so that current can decrease slowly
- For large time constant the decay is slow and for small time constant the decay is fast